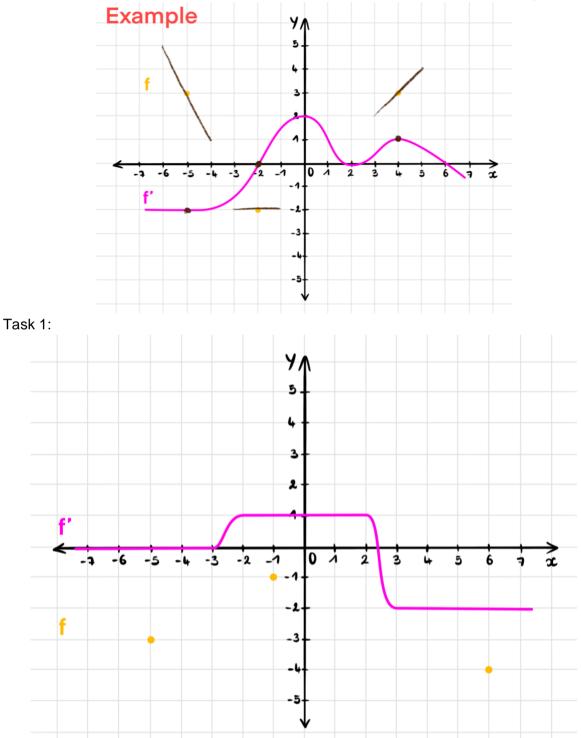
# Questionnaire 2.4 (post)

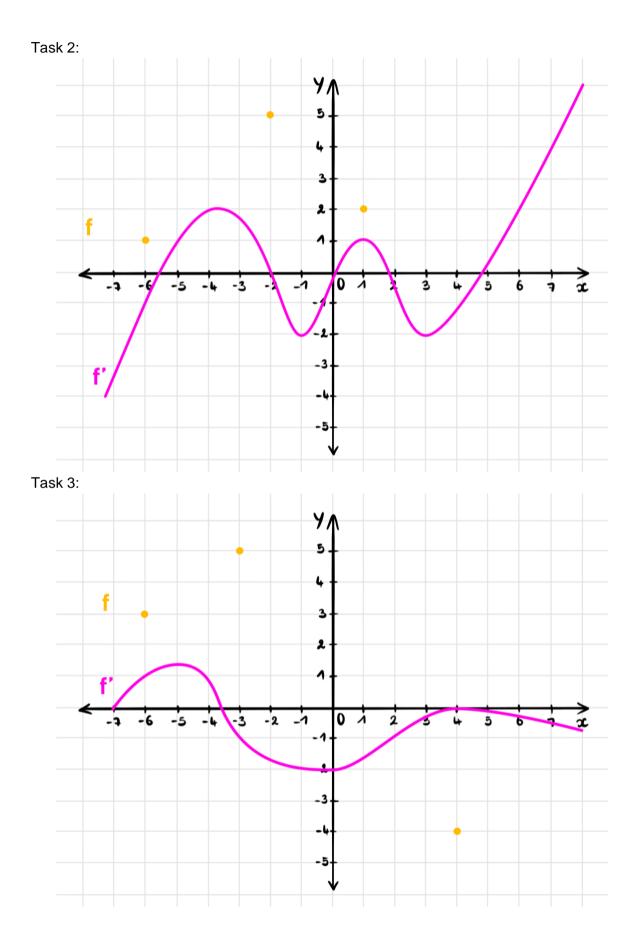
#### Participant Id = \_\_\_

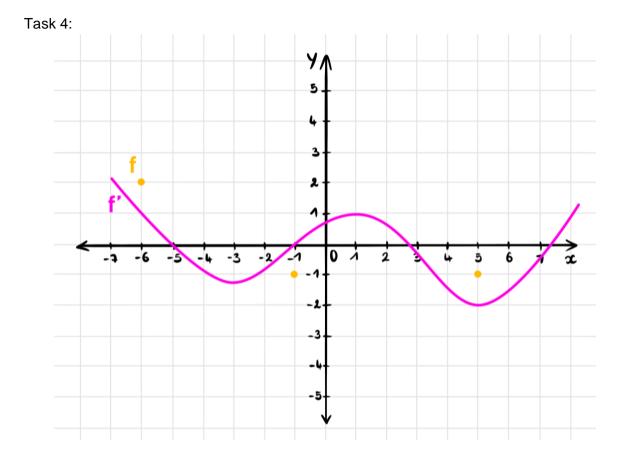
Please fill in the following questionnaire. This questionnaire is not part of your curriculum and will not influence your grade in any way.

#### Section 1.

On the following graphs, the target **derivative f**' is represented in pink. Only a few points of the **function f** are visible. For each of these points, draw the desired tangent.







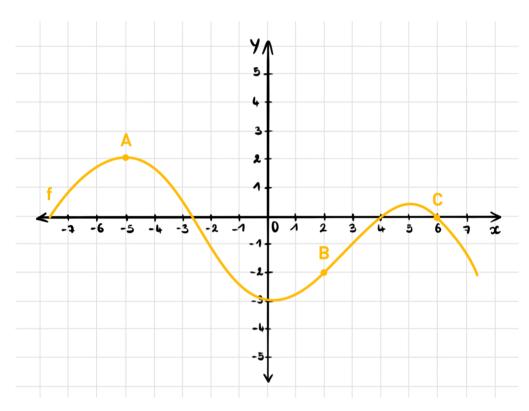
# Questionnaire 2.5 (post)

## Participant Id = \_\_\_\_

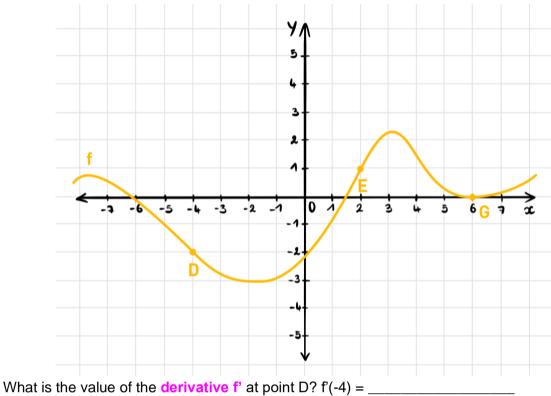
Please fill in the following questionnaire. This questionnaire is not part of your curriculum and will not influence your grade in any way.

#### Section 1.

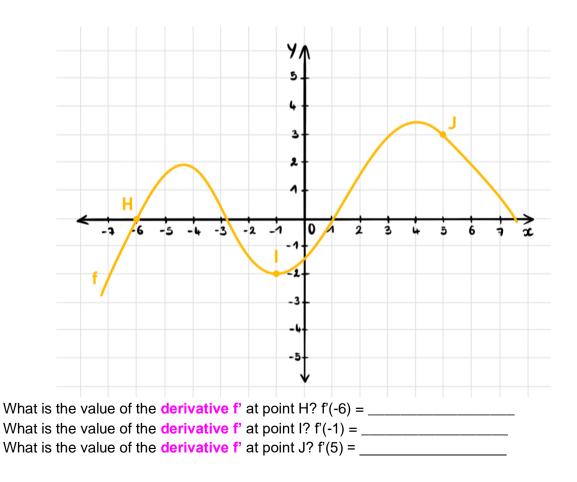
On the following graphs, the function f is represented in orange.



What is the value of the derivative f' at point A? f'(-5) =
What is the value of the derivative f' at point B? f'(2) =
What is the value of the derivative f' at point C? f'(6) =

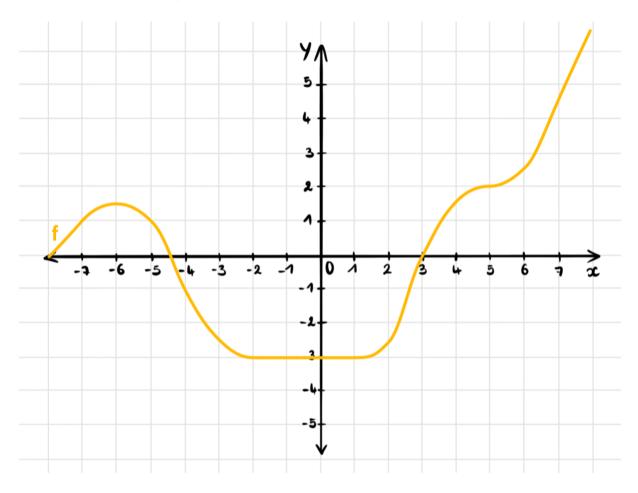


What is the value of the derivative f' at point D? f'(-4) = \_\_\_\_\_\_ What is the value of the derivative f' at point E? f'(2) = \_\_\_\_\_\_ What is the value of the derivative f' at point G? f'(6) = \_\_\_\_\_\_



## Section 2.

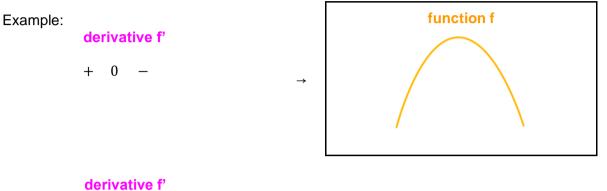
On the following graph, the function f is represented in orange. Draw the derivative f' of the function on the graph.



#### Section 3.

In this section, the left column shows the sign table of the **derivative f**'. A sign table shows the evolution of the sign of the derivative along the x axis. From example, +0 - means that the **derivative f**' is first positive over a certain interval, then crosses zero on one point, and becomes negative over an interval.

In each exercise, you have to look at the sign table of the **derivative f**' on the left, and draw a possible shape of the **function f** in the frame on the right.



- 0 + 0 - →

	function f
<b>→</b>	

٦

derivative f'

		function f
+ 0 - 0 +	→	

Г

derivative f'

	function f
$+ 0 + 0 + \rightarrow$	

Г

#### derivative f'

$$- 0 - 0 - \rightarrow$$

#### derivative f'

$$+ 0 + 0 - 0 + \rightarrow$$



#### derivative f'

							→	
_	0	+	0	_	0	+	$\rightarrow$	



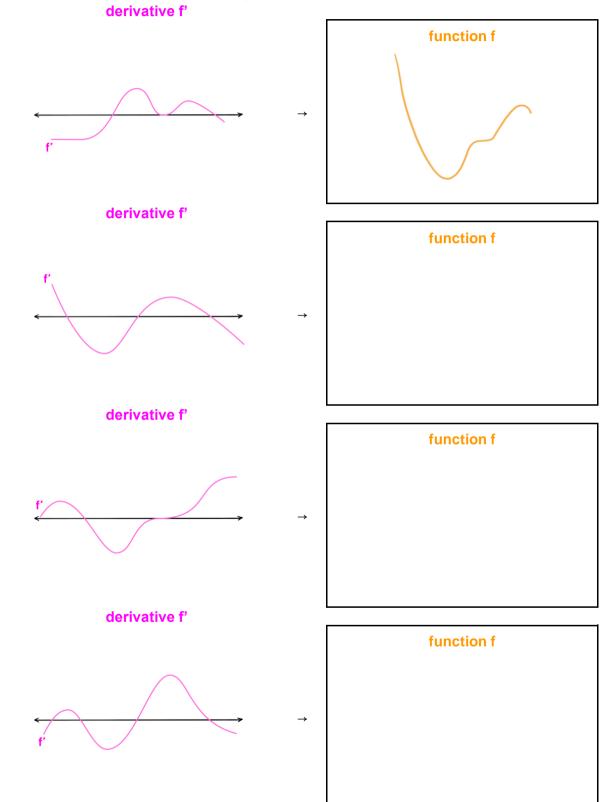
#### derivative f'

+ 0 + 0 - 0 -  $\rightarrow$ 

fun	ction f	

### Section 4.

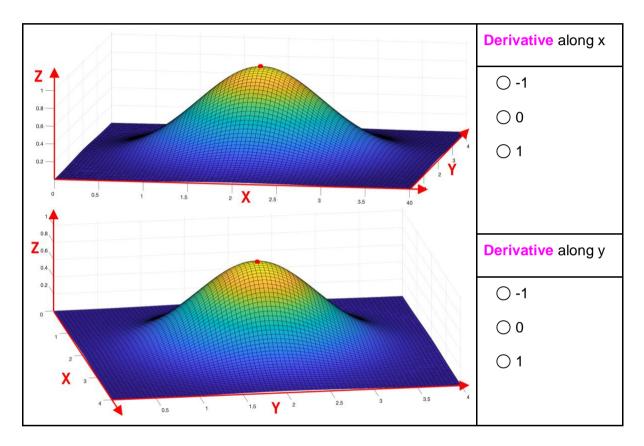
In this exercise, you have to look at the **derivative f**' on the left, and draw the shape of the **function f** in the frame on the right.



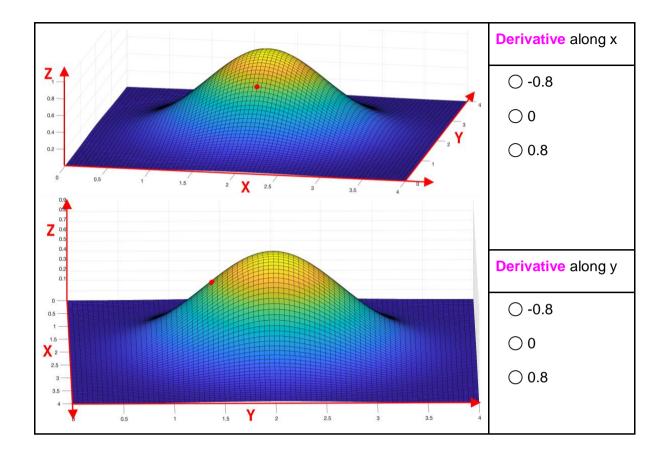
#### Section 5.

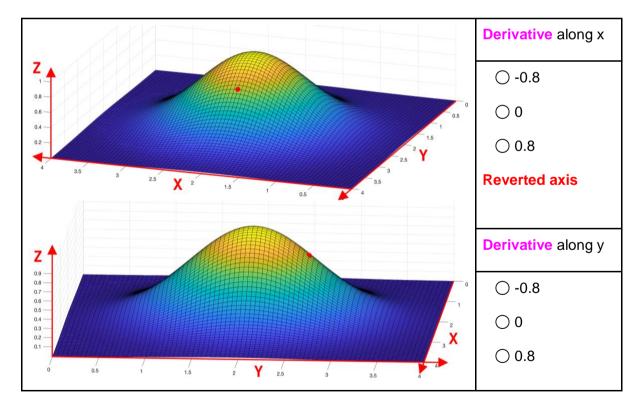
In this section, all the exercises will be in 3D spaces. The **function** is represented on the left, from two different perspectives, and with a specific **point** indicated in red. On the right, you have to select the correct value of the **derivative** at this **point**.

In 3D, the **derivative** at a specific point has two components. The x component of the derivative vector represents the slope along the x axis: how much does the surface go up or down if we follow the x-axis in the direction of its arrow. Similarly, the y component represents the slope along the y axis.

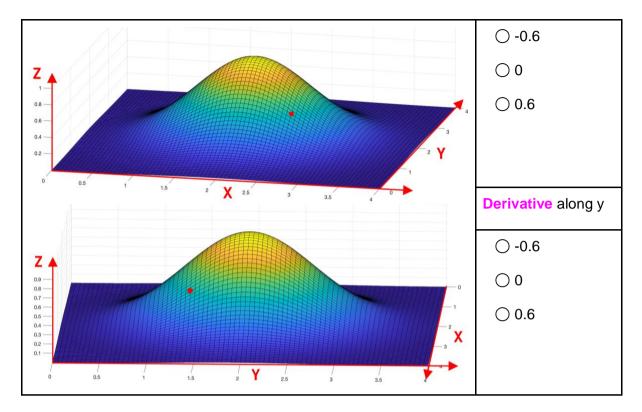


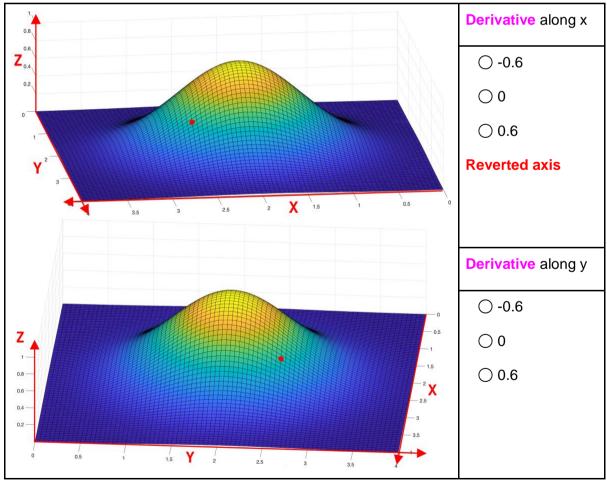
#### Be mindful of the direction of the axes!

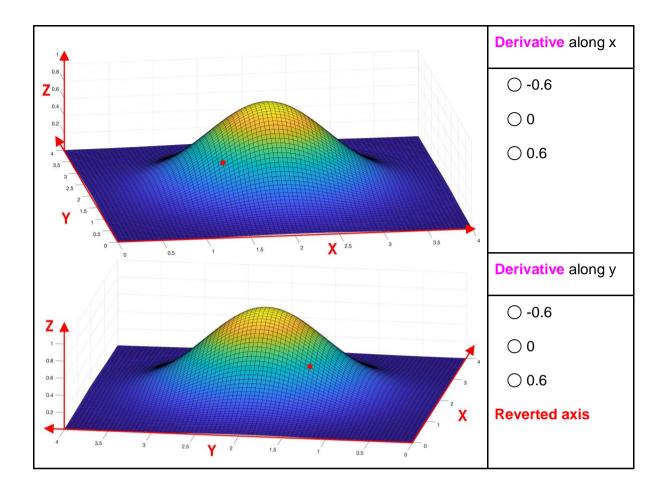




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# Questionnaire 2.6 (post)

#### Participant Id = \_

Please fill in the following questionnaire. This questionnaire is not part of your curriculum and will not influence your grade in any way.

## Section 1.

How would you explain what a derivative is to your friend who doesn't know?

### Section 2.

What do you think the value of the **derivative** is at the maximum of a **function**? Please justify your answer.

#### Section 3.

Do you think that two different functions can have the same derivative? Please justify your answer.

Do you think that it is possible to trace the graph of a **function** from the graph of its **derivative**? Please justify your answer.

## Section 4.

Have you ever learnt about a concept similar to the **derivative** in another course? If yes, which concept and which course?

# Questionnaire 2.7 (post)

Not included due to copyright.

The questionnaire contained elements 2, 3, 7, 8, and 9 from the Calculus Concept Inventory.

## Reference

Epstein, J. (2007, September). Development and validation of the Calculus Concept Inventory. In Proceedings of the ninth international conference on mathematics education in a global community (Vol. 9, pp. 165-170). Charlotte, NC.

Obtained from (October 2021): https://www.physport.org/assessments/assessment.cfm?A=CCI